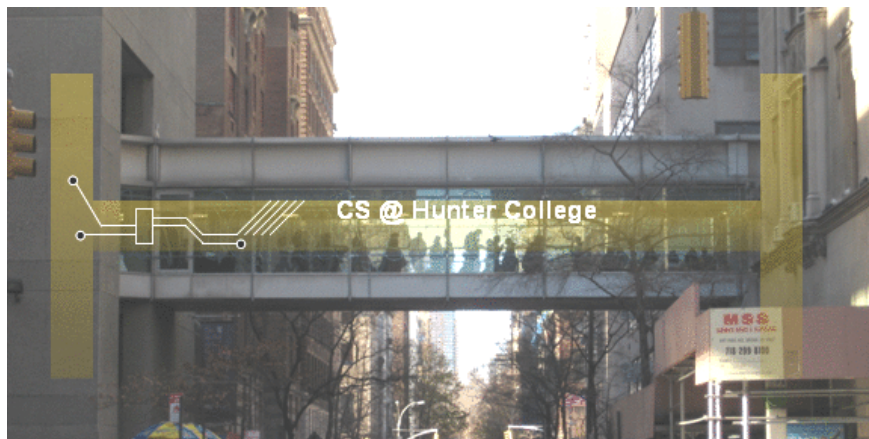


CSci 127: Introduction to Computer Science



Finished the lecture preview?

hunter.cuny.edu/csci

Guest Speakers

- Today we will start with guest speakers from computer science clubs at Hunter
- Instead of the usual lecture slip, you will fill out a survey to get credit for today's lecture (link on Blackboard under Course Materials)

Challenge (Group Work):

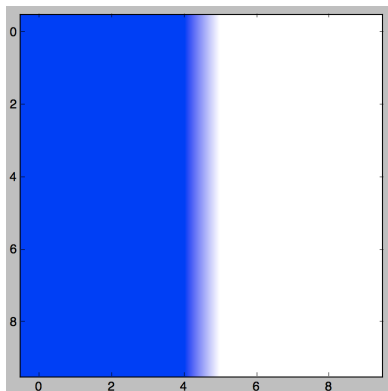
- Basic pattern: `img[rows, columns, channels]` with: `start:stop:step`.
- Assuming the libraries are imported, what do the following code fragments produce:

```
▶ img = np.ones( (10,10,3) )  
  img[0:10,0:5,0:2] = 0
```

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Challenge (Group Work)

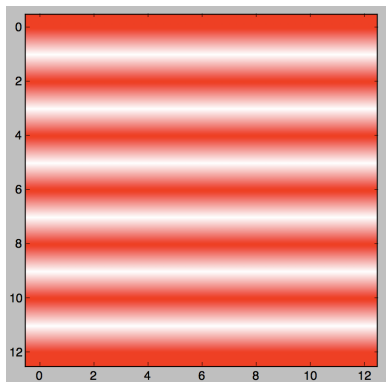
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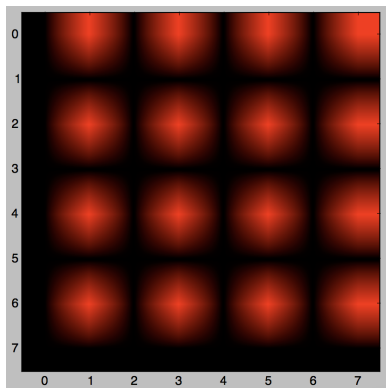
- Basic pattern: `img[rows, columns, channels]` with: `start:stop:step`.
- Assuming the libraries are imported, what do the following code fragments produce:

```
▶ img = np.zeros( (8,8,3) )  
  img[::2,1::2,0] = 1
```

Challenge (Group Work)

- Basic pattern: `img[rows, columns, channels]` with: `start:stop:step`.
- Assuming the libraries are imported, what do the following code fragments produce:

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▶ img = np.zeros( (8,8,3) )  
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```



Today's Topics



- Recap: Decisions
- Logical Expressions
- Circuits
- Binary Numbers

Today's Topics



- **Recap: Decisions**
- Logical Expressions
- Circuits
- Binary Numbers

Decisions

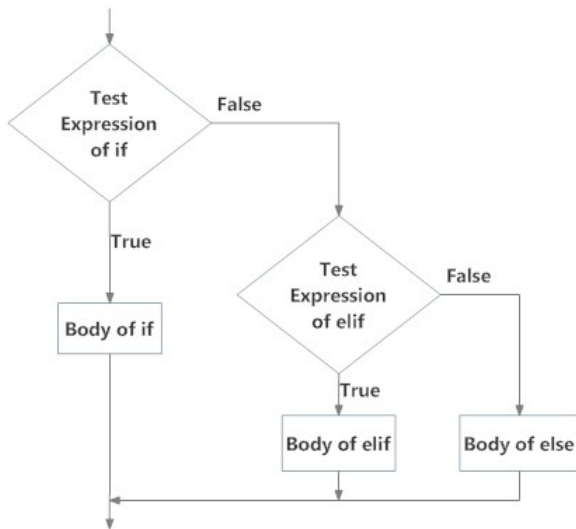
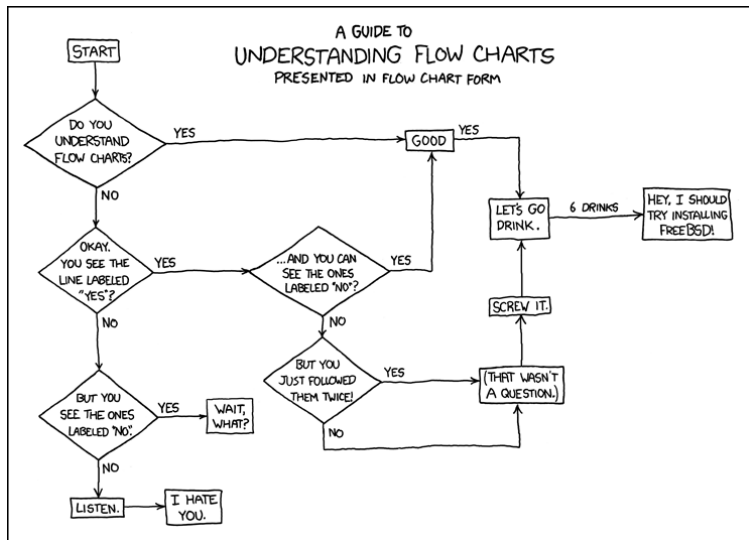


Fig: Operation of if...elif...else statement

Side Note: Reading Flow Charts



(xkcd/518)

Today's Topics



- Recap: Decisions
- **Logical Expressions**
- Circuits
- Binary Numbers

Logical Operators

and

in1		in2	<i>returns:</i>
False	and	False	False
False	and	True	False
True	and	False	False
True	and	True	True

Logical Operators

and

in1		in2	<i>returns:</i>
False	and	False	False
False	and	True	False
True	and	False	False
True	and	True	True

or

in1		in2	<i>returns:</i>
False	or	False	False
False	or	True	True
True	or	False	True
True	or	True	True

Logical Operators

and

in1		in2	returns:
False	and	False	False
False	and	True	False
True	and	False	False
True	and	True	True

or

in1		in2	returns:
False	or	False	False
False	or	True	True
True	or	False	True
True	or	True	True

not

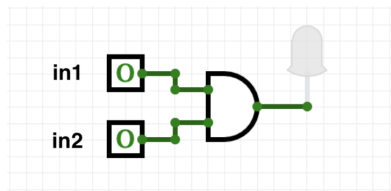
	in1	returns:
not	False	True
not	True	False

Today's Topics



- Recap: Decisions
- Logical Expressions
- **Circuits**
- Binary Numbers

Circuit Demo

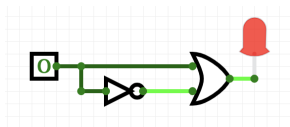


(Demo with `circuitverse`)

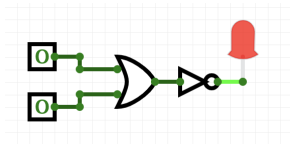
Challenge

Predict when these expressions are true:

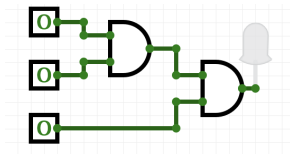
- `in1 or not in1:`



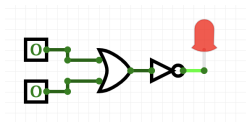
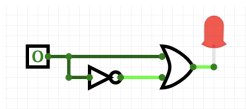
- `not(in1 or in2):`



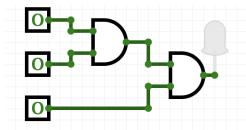
- `(in1 and in2) and in3:`



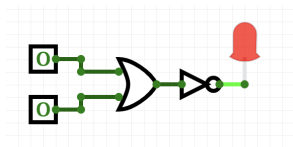
Circuit Demo



(Demo with circuitverse)



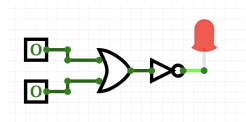
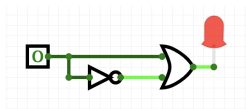
Challenge



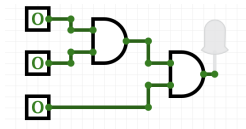
Draw a circuit that corresponds to each logical expression:

- $in1 \text{ or } in2$
- $(in1 \text{ or } in2) \text{ and } (in1 \text{ or } in3)$
- $(\text{not}(in1 \text{ and } \text{not } in2)) \text{ or } (in1 \text{ and } (in2 \text{ and } in3))$

Circuit Demo



(Demo with circuitverse)



Today's Topics



- Recap: Decisions
- Logical Expressions
- Circuits
- **Binary Numbers**

Binary Numbers

- Logic \rightarrow Circuits \rightarrow Numbers

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- Digital logic design allows for two states:

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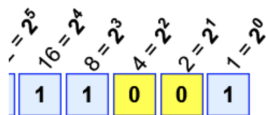
Binary Numbers

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- Computers store numbers using the Binary system (base 2)

Binary Numbers

- Logic → Circuits → Numbers
- Digital logic design allows for two states:
 - ▶ True / False
 - ▶ On / Off (two voltage levels)
 - ▶ 1 / 0
- Computers store numbers using the Binary system (base 2)
- A **bit** (binary digit) being 1 (on) or 0 (off)

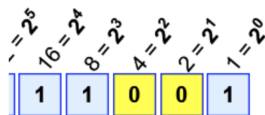
Binary Numbers



Example: $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Two digits: **0** and **1**

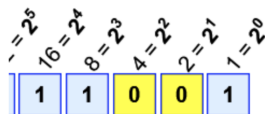
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Example: $1 \times 16 + 1 \times 8 + 1 \times 1 = 16 + 8 + 1 = 25$

- Two digits: **0** and **1**
- Each position is a power of two

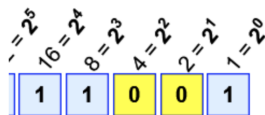
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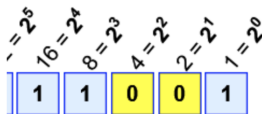
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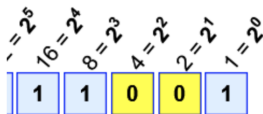
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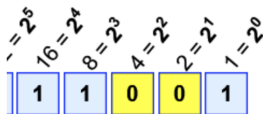
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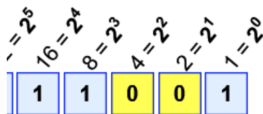
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 - ▶ In the "ones" position we either have a 1 or not
 - ▶ In the "twos" position we either have a 2 or not

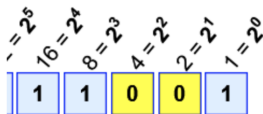
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- **Example:**

$$11001_{base2} = 16 + 8 + 1 = 25_{base10}$$

Recap



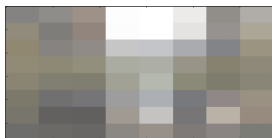
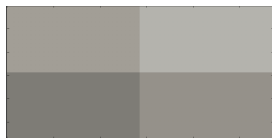
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Recap



- In Python, we introduced:
 - ▶ Decisions
 - ▶ Logical Expressions
 - ▶ Circuits
 - ▶ Binary Numbers

Final Exam



- Since you must pass the final exam to pass the course, we end every lecture with final exam review.
- Pull out something to write on (not to be turned in).
- Lightning rounds:
 - ▶ write as much you can for 60 seconds;
 - ▶ followed by answer; and
 - ▶ repeat.
- Past exams are on the webpage (under [Final Exam Information](#)).

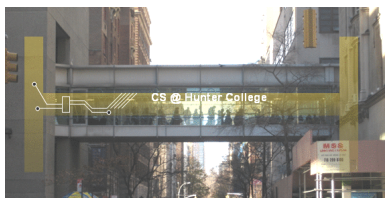
Weekly Reminders!



Before next lecture, don't forget to:

- Work on this week's Online Lab

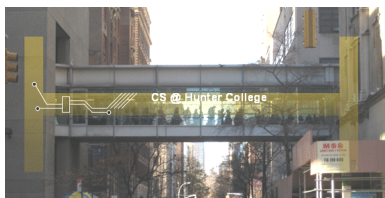
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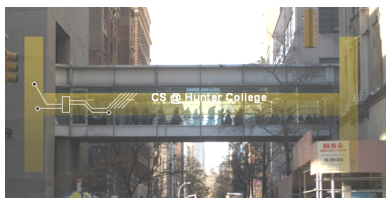
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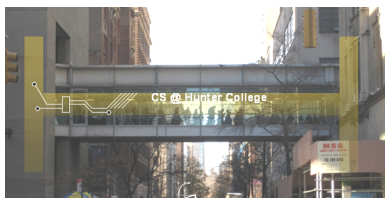
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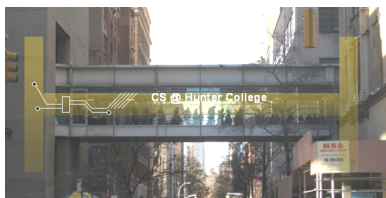
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- Take the Lecture Preview on Blackboard on Monday (or no later than 10am on Tuesday)

Lecture Slips & Writing Boards



- Hand your lecture slip to a UTA.
- Return writing boards as you leave.